

II Semester M.B.A. (Day) Degree Examination, June 2009

Paper - 2.6: QUANTITATIVE METHODS AND OPERATION RESEARCH

Time: 3 Hours

Max. Marks: 75

Instruction: Calculations must be shown in detail.

SECTION - A

Answer any six questions.

 $(6\times2=12)$

- 1. a) Define linear programming problem in general terms.
 - b) What are the basic assumptions in solving assignment problem?
 - c) What are the two objectives of queueing problem solving?
 - d) State any two advantages and limitations of simulation.
 - e) What do you mean by Analogue Model?
 - f) Define operation research.
 - g) What is pay off matrix?
 - h) Write the importance of inventory model for management.
 - i) What do you mean by unbounded solution?

SECTION - B

Answer any three questions.

 $(3 \times 8 = 24)$

- 2. "Operation Research replaces management by personality" Comment.
- 3. Explain the role of linear programming in managerial decision making.

.o.r.que minimisting incretal cost and state the cilings in '&.



4. A machine operator processes five types of items on his machine each week and must choose depends on the items prosperity on the machine and set up cost, according to its following table:

	Ĕ,	$\mathbf{A}_{\mathbf{a}}$	B	C	\mathbf{D}	E
	A	∞	4	7	3	4
H	В	4	∞	6	3	4
Item	C	7	6	∞	7	5 ,

To Item

E 4 4 5 7 ∞

If he processes each type of item once and only once each week, how should he sequence the item on his machine in order to minimise the total set up cost?

5. The cost associated with procurement and holding of an item are given below:

Cost per item = Rs. 10

Order processing cost = Rs. 200

Insurance for holding = 2% of the value of inventory cost of

inspection and approval of

Materials of a lot = Rs. 100 odnu yd maen wy i mdW (i

Interest for the locked up capital = 15%

Annual Demand = 1000 units

Other holding cost = 8%

Order quantity followed = 500 units

Find out the total cost incurred due to this item per year and examine the possibility of minimising the total cost and state the sellings in %.



6. Gupta Bakery Amritsar, keeps stock of a popular brand cake. Daily demand based on past experience is as given below:

Experience indicates:

Daily Demand

0

15

25

35

45

50

Probability

0.01

0.15

0.20

0.50

0.12

0.02

Consider the following sequence of random members:

R.No. 48, 78, 09, 51, 56, 77, 15, 14, 68, 09 using the sequence simulate the demand for the next 10 days.

Find out the stock situation if the owner of the bakery decides to make 35 cakes every day. Also estimate the daily average demand for the cakes on the basis of simulated data.

SECTION - C

Answer any two questions. Each question carries 12 marks.

 $(2 \times 12 = 24)$

- 7. a) Why is a computer necessary in conducting a real world simulation?
 - b) Write a short note on:
 - i) Sequencing

ii) Pure and mixed strategy

iii) Replacement

- iv) Waiting line
- 8. Use the Simplex method to solve the following LP problem:

 $Maximize z = 3x_1 + 5x_2 + 4x_3$

s.t.
$$2x_1 + 3x_2 \le 8$$

$$2x_2 + 5x_3 \le 10$$

$$3x_1 + 2x_2 + 4x_3 \le 15$$

and
$$x_1, x_2, x_3 \ge 0$$
.

(in days)



9. A Project consists of the following activity and different time estimates (in days)

			(in days)	wperience is	3 1
Activity	Precedence	a	m	b see indicates	
A		4	6	8	
D.	* A 45			16	
C	0.50 A 0.12 = 0.0	02.08	120.0	16	
D	B: zredme	m mo 4m l	ng seq8ence o	iv 12 i edi	
ha Enchants	g the seq \mathbf{q}_{nae} simulate	nian 9 4 80 .	6	.78 08 51,	
F	C,D				
G	e bakery, Eerdes to ma				
	mand fo $f B$ the calces on				
	\mathbf{H}^{f}	4	8	14.0001	
J			6	8	

a) Draw a network, b) Determine the CP and their variance, c) What is the probability that the project will be completed by 30th day?

7. a) Why is a computer accessary **G - NOITOAS** real world shanlation 2 or

Case study (Compulsory):

nusino erendode 13 (15×1=15)

10. Maximise for the following transportation problem as the figures inside relates to profit and not the cost of transportation:

Warehouse

		\mathbf{M}_1	$\mathbf{M_2}$	M_3	Requirements
Factory	\mathbf{F}_1	7	5	5	100
	\mathbf{F}_2	7	11	9	80
	$\mathbf{F_3}$	10	9	9	60
Dei	mand	110	70	40	

Determine its feasible and optimal solution.